



Smith College

Computer Science

# CSC231 — Assembly

Week #5 — Fall 2017

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0000	<b>0</b>	<b>0</b>
0001	<b>1</b>	<b>1</b>
0010	<b>2</b>	<b>2</b>
0011	<b>3</b>	<b>3</b>
0100	<b>4</b>	<b>4</b>
0101	<b>5</b>	<b>5</b>
0110	<b>6</b>	<b>6</b>
0111	<b>7</b>	<b>7</b>
1000	<b>8</b>	<b>8</b>
1001	<b>9</b>	<b>9</b>
1010	<b>A</b>	<b>10</b>
1011	<b>B</b>	<b>11</b>
1100	<b>C</b>	<b>12</b>
1101	<b>D</b>	<b>13</b>
1110	<b>E</b>	<b>14</b>
1111	<b>F</b>	<b>15</b>

# Conversion

Super  
Useful!

# Decimal to Binary Conversion

Review  
Shifting

101001 =

$$101001 = 1 \times 2^5 + 0 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 0 \times 2^1 + 1 \times 2^0$$

$$\begin{aligned} 101001 &= 1 \times 2^5 + 0 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 0 \times 2^1 + 1 \times 2^0 \\ &= 32 + 0 + 8 + 0 + 0 + 1 \\ &= 41d \end{aligned}$$

$$\begin{aligned}101001 &= 1 \times 2^5 + 0 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 0 \times 2^1 + 1 \times 2^0 \\ &= 32 + 0 + 8 + 0 + 0 + 1 \\ &= 41d\end{aligned}$$

$$\frac{101001}{2} = \frac{1 \times 2^5 + 0 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 0 \times 2^1 + 1 \times 2^0}{2}$$

$$\begin{aligned}101001 &= 1 \times 2^5 + 0 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 0 \times 2^1 + 1 \times 2^0 \\ &= 32 + 0 + 8 + 0 + 0 + 1 \\ &= 41d\end{aligned}$$

$$\begin{aligned}\frac{101001}{2} &= \frac{1 \times 2^5 + 0 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 0 \times 2^1 + 1 \times 2^0}{2} \\ &= \frac{1 \times 2^5}{2} + \frac{0 \times 2^4}{2} + \frac{1 \times 2^3}{2} + \frac{0 \times 2^2}{2} + \frac{0 \times 2^1}{2} + \frac{1 \times 2^0}{2}\end{aligned}$$

$$\begin{aligned}
101001 &= 1 \times 2^5 + 0 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 0 \times 2^1 + 1 \times 2^0 \\
&= 32 + 0 + 8 + 0 + 0 + 1 \\
&= 41d
\end{aligned}$$

$$\begin{aligned}
\frac{101001}{2} &= \frac{1 \times 2^5 + 0 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 0 \times 2^1 + 1 \times 2^0}{2} \\
&= \frac{1 \times 2^5}{2} + \frac{0 \times 2^4}{2} + \frac{1 \times 2^3}{2} + \frac{0 \times 2^2}{2} + \frac{0 \times 2^1}{2} + \frac{1 \times 2^0}{2} \\
&= 1 \times 2^4 + 0 \times 2^3 + 1 \times 2^2 + 0 \times 2^1 + 0 \times 2^0
\end{aligned}$$

$$\begin{aligned}
101001 &= 1 \times 2^5 + 0 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 0 \times 2^1 + 1 \times 2^0 \\
&= 32 + 0 + 8 + 0 + 0 + 1 \\
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\end{aligned}$$

$$\begin{aligned}
\frac{101001}{2} &= \frac{1 \times 2^5 + 0 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 0 \times 2^1 + 1 \times 2^0}{2} \\
&= \frac{1 \times 2^5}{2} + \frac{0 \times 2^4}{2} + \frac{1 \times 2^3}{2} + \frac{0 \times 2^2}{2} + \frac{0 \times 2^1}{2} + \frac{1 \times 2^0}{2} \\
&= 1 \times 2^4 + 0 \times 2^3 + 1 \times 2^2 + 0 \times 2^1 + 0 \times 2^0 \\
&= 10100
\end{aligned}$$

$$\begin{aligned}
 101001 &= 1 \times 2^5 + 0 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 0 \times 2^1 + 1 \times 2^0 \\
 &= 32 + 0 + 8 + 0 + 0 + 1 \\
 &= 41d
 \end{aligned}$$

$$\begin{aligned}
 \frac{101001}{2} &= \frac{1 \times 2^5 + 0 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 0 \times 2^1 + 1 \times 2^0}{2} \\
 &= \frac{1 \times 2^5}{2} + \frac{0 \times 2^4}{2} + \frac{1 \times 2^3}{2} + \frac{0 \times 2^2}{2} + \frac{0 \times 2^1}{2} + \frac{1 \times 2^0}{2} \\
 &= 1 \times 2^4 + 0 \times 2^3 + 1 \times 2^2 + 0 \times 2^1 + 0 \times 2^0 \\
 &= 10100
 \end{aligned}$$

$$\begin{aligned}
101001 &= 1 \times 2^5 + 0 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 0 \times 2^1 + 1 \times 2^0 \\
&= 32 + 0 + 8 + 0 + 0 + 1 \\
&= 41d
\end{aligned}$$

$$\begin{aligned}
\frac{101001}{2} &= \frac{1 \times 2^5 + 0 \times 2^4 + 1 \times 2^3 + 0 \times 2^2 + 0 \times 2^1 + 1 \times 2^0}{2} \\
&= \frac{1 \times 2^5}{2} + \frac{0 \times 2^4}{2} + \frac{1 \times 2^3}{2} + \frac{0 \times 2^2}{2} + \frac{0 \times 2^1}{2} + \frac{1 \times 2^0}{2} \\
&= 1 \times 2^4 + 0 \times 2^3 + 1 \times 2^2 + 0 \times 2^1 + 0 \times 2^0 \\
&= 10100 \\
&= 16 + 0 + 4 + 0 + 0 \\
&= 20d
\end{aligned}$$

**Dividing by the base  
extracts the least  
significant digit**

# Python Program

```
# prompts user for an integer
# decomposes the integer into binary

x = int( input( "> " ) )
binary = ""

while True:
    if x==0:
        break

    remainder = x % 2
    quotient  = x // 2

    if remainder == 0:
        binary = "0" + binary
    else:
        binary = "1" + binary

    print( "%5d = %5d * 2 + %d      quotient=%5d remainder=%d binary=%16s"
           % (x, quotient, remainder, quotient, remainder, binary) )

    x = quotient
```

# Python Program

```
# prompts user for an int  
# decomposes the integer
```

```
x = int( input( "> " ) )  
binary = ""
```

```
while True:
```

```
    if x==0:  
        break
```

```
    remainder = x % 2  
    quotient  = x // 2
```

```
    if remainder == 0:
```

```
        binary = "0" + binary
```

```
    else:
```

```
        binary = "1" + binary
```

```
    print( "%5d = %5d * 2 + %d    quotient=%5d remainder=%d binary=%16s"  
           % (x, quotient, remainder, quotient, remainder, binary) )
```

```
    x = quotient
```

```
fiveNumbers35 -- pi@raspberrypiREG: ~ -- ssh -- 88x20  
pi@raspberrypiREG: ~  
231b@aurora ~/handout $ ./decimal2binary.py  
> 12345  
12345 = 6172 * 2 + 1    (quotient= 6172 remainder= 1) -- binary= 1  
6172 = 3086 * 2 + 0    (quotient= 3086 remainder= 0) -- binary= 01  
3086 = 1543 * 2 + 0    (quotient= 1543 remainder= 0) -- binary= 001  
1543 = 771 * 2 + 1     (quotient= 771 remainder= 1) -- binary= 1001  
771 = 385 * 2 + 1     (quotient= 385 remainder= 1) -- binary= 11001  
385 = 192 * 2 + 1     (quotient= 192 remainder= 1) -- binary= 111001  
192 = 96 * 2 + 0      (quotient= 96 remainder= 0) -- binary= 0111001  
96 = 48 * 2 + 0       (quotient= 48 remainder= 0) -- binary= 00111001  
48 = 24 * 2 + 0       (quotient= 24 remainder= 0) -- binary= 000111001  
24 = 12 * 2 + 0       (quotient= 12 remainder= 0) -- binary= 0000111001  
12 = 6 * 2 + 0        (quotient= 6 remainder= 0) -- binary= 00000111001  
6 = 3 * 2 + 0         (quotient= 3 remainder= 0) -- binary= 000000111001  
3 = 1 * 2 + 1         (quotient= 1 remainder= 1) -- binary= 1000000111001  
1 = 0 * 2 + 1         (quotient= 0 remainder= 1) -- binary= 11000000111001  
231b@aurora ~/handout $
```

# Binary to Decimal

$$\begin{aligned}101001 &= 1x2^5 + 0x2^4 + 1x2^3 + 0x2^2 + 0x2^1 + 1x2^0 \\ &= 32 + 0 + 8 + 0 + 0 + 1 \\ &= 41d\end{aligned}$$

# Binary to Hex

1010010 =

$$1010010 = 01010010$$

$$\begin{aligned} 1010010 &= 01010010 \\ &= 0101_2 0010_2 \\ &\quad \wedge \end{aligned}$$

0000	<b>0</b>
0001	<b>1</b>
0010	<b>2</b>
0011	<b>3</b>
0100	<b>4</b>
0101	<b>5</b>
0110	<b>6</b>
0111	<b>7</b>
1000	<b>8</b>
1001	<b>9</b>
1010	<b>A</b>
1011	<b>B</b>
1100	<b>C</b>
1101	<b>D</b>
1110	<b>E</b>
1111	<b>F</b>

$$\begin{aligned} 1010010 &= 01010010 \\ &= 0101_2 0010_2 \\ &\quad \wedge \end{aligned}$$

0000	<b>0</b>
0001	<b>1</b>
0010	<b>2</b>
0011	<b>3</b>
0100	<b>4</b>
0101	<b>5</b>
0110	<b>6</b>
0111	<b>7</b>
1000	<b>8</b>
1001	<b>9</b>
1010	<b>A</b>
1011	<b>B</b>
1100	<b>C</b>
1101	<b>D</b>
1110	<b>E</b>
1111	<b>F</b>

$$\begin{aligned} 1010010 &= 01010010 \\ &= 0101\ 0010 \\ &= \quad 5 \quad 2 \end{aligned}$$

# Hex to Binary

0000	<b>0</b>
0001	<b>1</b>
0010	<b>2</b>
0011	<b>3</b>
0100	<b>4</b>
0101	<b>5</b>
0110	<b>6</b>
0111	<b>7</b>
1000	<b>8</b>
1001	<b>9</b>
1010	<b>A</b>
1011	<b>B</b>
1100	<b>C</b>
1101	<b>D</b>
1110	<b>E</b>
1111	<b>F</b>

5A1F =

0000	<b>0</b>
0001	<b>1</b>
0010	<b>2</b>
0011	<b>3</b>
0100	<b>4</b>
0101	<b>5</b>
0110	<b>6</b>
0111	<b>7</b>
1000	<b>8</b>
1001	<b>9</b>
1010	<b>A</b>
1011	<b>B</b>
1100	<b>C</b>
1101	<b>D</b>
1110	<b>E</b>
1111	<b>F</b>

5A1F = 0101 1010 0001 1111

# Hex to Decimal

1A2F =

$$1A2F = 1 \times 16^3 + A \times 16^2 + 2 \times 16^1 + F \times 16^0$$
$$=$$

0000	<b>0</b>
0001	<b>1</b>
0010	<b>2</b>
0011	<b>3</b>
0100	<b>4</b>
0101	<b>5</b>
0110	<b>6</b>
0111	<b>7</b>
1000	<b>8</b>
1001	<b>9</b>
1010	<b>A</b>
1011	<b>B</b>
1100	<b>C</b>
1101	<b>D</b>
1110	<b>E</b>
1111	<b>F</b>

$$\begin{aligned} 1A2F &= 1 \times 16^3 + A \times 16^2 + 2 \times 16^1 + F \times 16^0 \\ &= 1 \times 4096 + 10 \times 256 + 2 \times 16 + 15 \times 1 \\ &= \end{aligned}$$

0000	<b>0</b>
0001	<b>1</b>
0010	<b>2</b>
0011	<b>3</b>
0100	<b>4</b>
0101	<b>5</b>
0110	<b>6</b>
0111	<b>7</b>
1000	<b>8</b>
1001	<b>9</b>
1010	<b>A</b>
1011	<b>B</b>
1100	<b>C</b>
1101	<b>D</b>
1110	<b>E</b>
1111	<b>F</b>

$$\begin{aligned} 1A2F &= 1 \times 16^3 + A \times 16^2 + 2 \times 16^1 + F \times 16^0 \\ &= 1 \times 4096 + 10 \times 256 + 2 \times 16 + 15 \times 1 \\ &= 4096 + 2560 + 32 + 15 \\ &= \end{aligned}$$

0000	<b>0</b>
0001	<b>1</b>
0010	<b>2</b>
0011	<b>3</b>
0100	<b>4</b>
0101	<b>5</b>
0110	<b>6</b>
0111	<b>7</b>
1000	<b>8</b>
1001	<b>9</b>
1010	<b>A</b>
1011	<b>B</b>
1100	<b>C</b>
1101	<b>D</b>
1110	<b>E</b>
1111	<b>F</b>

$$\begin{aligned} 1A2F &= 1 \times 16^3 + A \times 16^2 + 2 \times 16^1 + F \times 16^0 \\ &= 1 \times 4096 + 10 \times 256 + 2 \times 16 + 15 \times 1 \\ &= 4096 + 2560 + 32 + 15 \\ &= 6703 \end{aligned}$$

# Decimal to Hex

Do:

Decimal  $\longrightarrow$  Binary

Binary  $\longrightarrow$  Hex

# Exercises



[http://www.science.smith.edu/dftwiki/index.php/  
CSC231\\_Review\\_of\\_hexadecimal\\_number\\_system](http://www.science.smith.edu/dftwiki/index.php/CSC231_Review_of_hexadecimal_number_system)



Convert these **hexadecimal** numbers to **binary**, and to **decimal**.

1111

1234

AAAA

F001

FFFF



Convert these **decimal** numbers to **binary**, and **hexadecimal**

65

127



What comes after these **hexadecimal** numbers, logically?

aaAA

9999

19F

1ABF

FFEF

F00F

ABCDEF



Perform the following additions in hex

$$\begin{array}{r} 1000 \\ + \text{AAAA} \\ \hline \end{array}$$

$$\begin{array}{r} 1234 \\ + \quad \text{F} \\ \hline \end{array}$$

$$\begin{array}{r} 1234 \\ + \text{ABCD} \\ \hline \end{array}$$

$$\begin{array}{r} \text{FFFF} \\ + \text{FFFF} \\ \hline \end{array}$$

# More Arithmetic Instructions

# Intel Pentium 4 Northwood

## Buffer Allocation & Register Rename

Instruction Queue (for less critical fields of the uOps)

General Instruction Address Queue & Memory Instruction Address Queue (queues register entries and latency fields of the uOps for scheduling)

Floating Point, MMX, SSE2 Renamed Register File  
128 entries of 128 bit.

## uOp Schedulers

FP Move Scheduler:  
(8x8 dependency matrix)

Parallel (Matrix) Scheduler for the two double pumped ALU's

General Floating Point and Slow Integer Scheduler:  
(8x8 dependency matrix)

Load / Store uOp Scheduler:  
(8x8 dependency matrix)

Load / Store Linear Address Collision History Table

## Execution Pipeline Start

Register Alias History Tables (2x126)  
Register Alias Tables uOp Queue

## Instruction Trace Cache

Micro code Sequencer  
Micro code ROM & Flash  
Trace Cache Fill Buffers  
Distributed Tag comparators  
24 bit virtual Tags

## Trace Cache Access, next Address Predict

Trace Cache Branch Prediction Table (BTB), 512 entries.

Return Stacks (2x16 entries)

Trace Cache next IP's (2x)

Miscellaneous Tag Data

## Instruction Decoder

Up to 4 decoded uOps/cycle on (from max. one x86 instr/cycle). Instructions with more than four are handled by Micro Sequencer

Trace Cache LRU bits

Raw Instruction Bytes in Data TLB, 64 entry fully associative, between threads dual ported (for loads and stores)

## Instruction Fetch from L2 cache and Branch Prediction

Front End Branch Prediction Tables (BTB), shared, 4096 entries in total

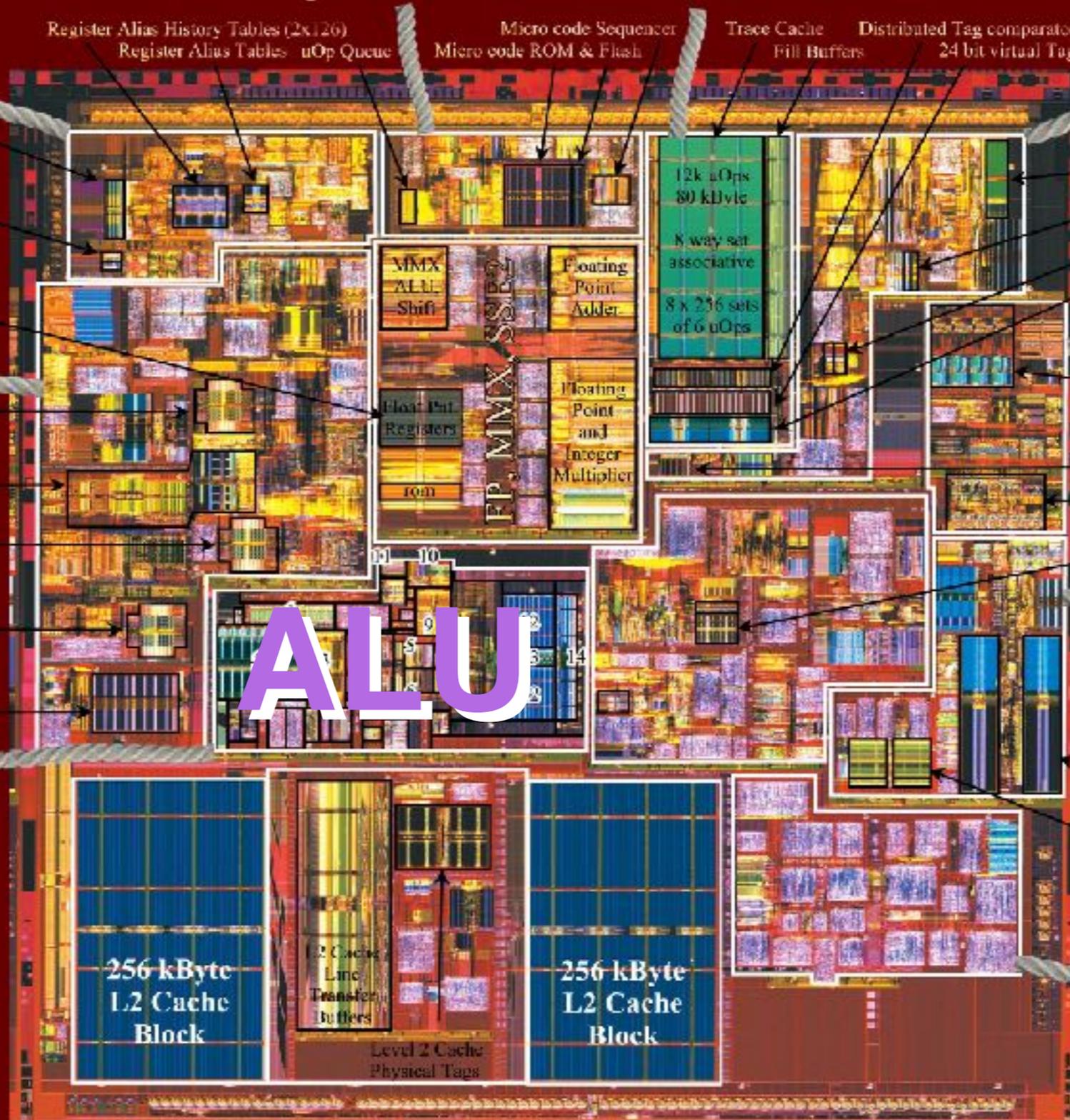
Instruction TLB's 2x64 entry, fully associative for 4k and 4M pages. In: Virtual address [31:12] Out: Physical address [35:12] + 2 page level bits

## Integer Execution Core

- (1) uOp Dispatch unit & Replay Buffer  
Dispatches up to 6 uOps / cycle
- (2) Integer Renamed Register File  
128 entries of 32 bit + 6 status flags  
12 read ports and six write ports
- (3) Databus switch & Bypasses to and from the Integer Register File.
- (4) Flags, Write Back
- (5) Double Pumped ALU 0
- (6) Double Pumped ALU 1
- (7) Load Address Generator Unit
- (8) Store Address Generator Unit
- (9) Load Buffer ( 48 entries )
- (10) Store Buffer ( 24 entries )

- (11) ROB Reorder Buffer 3x42 entries
- (12) 8 kByte Level 1 Data cache

- (13) Summed Address Index decode and Way Predict
- (14) Cache Line Read / Write Transfer buffers and 256 bit wide bus to and from L2 cache



## Front Side Bus Interface, 400..800 MHz

April 19, 2003 [www.chip-architect.com](http://www.chip-architect.com)



Right now,  
we are dealing only  
with **UNSIGNED** integers!

# inc

**inc operand**

```
inc reg8
inc reg16
inc reg32
inc mem8
inc mem16
inc mem32
```

```
alpha db 3
beta dw 4
x dd 0
```

```
inc al
inc cx
inc ebx
```

```
inc word[beta] ;beta <- 5
inc dword[x] ;x <- 1
```

# dec

## dec operand

```
dec    reg8
dec    reg16
dec    reg32
dec    mem8
dec    mem16
dec    mem32
```

```
alpha db    3
beta  dw    4
x     dd    6
```

```
dec    al      ; al <- al-1
dec    cx
dec    ebx
```

```
dec    word[beta] ; beta <- 3
dec    dword[x]   ; x <- 5
```

mul

**mul operand**

```
mul    reg8  
mul    reg16  
mul    reg32  
mul    mem8  
mul    mem16  
mul    mem32
```

# Observation

$$\begin{array}{r} 1001 \\ \times 1110 \\ \hline \end{array}$$

# Observation

$$\begin{array}{r} 1001 \\ \times 1110 \\ \hline 0000 \end{array}$$

# Observation

$$\begin{array}{r} 1001 \\ \times 1110 \\ \hline 0000 \\ 1001 \end{array}$$

# Observation

$$\begin{array}{r} 1001 \\ \times 1110 \\ \hline 0000 \\ 1001 \\ 1001 \end{array}$$

# Observation

$$\begin{array}{r} 1001 \\ \times 1110 \\ \hline 0000 \\ 1001 \\ 1001 \\ 1001 \\ \hline \end{array}$$

# Observation

$$\begin{array}{r} \phantom{x} 1001 \\ x \phantom{1} 1110 \\ \hline \phantom{x} 0000 \\ \phantom{x} 1001 \\ \phantom{x} 1001 \\ \phantom{x} 1001 \\ \hline 1111110 \end{array}$$

# mul

## mul operand

```
mul    reg8
mul    reg16
mul    reg32
mul    mem8
mul    mem16
mul    mem32
```

$edx:eax \leftarrow operand_{32} * eax$   
 $dx:ax \leftarrow operand_{16} * ax$   
 $ax \leftarrow operand_8 * al$

alpha	db	3
beta	dw	4
x	dd	6

```
mul    byte[alpha]    ;ax <- al*alpha
mul    ebx             ;edx:eax <-
                        ;      ebx*eax
```



This has tremendously  
important **consequences!**

```
public class JavaLimits {  
    public static void main(String[] args) {  
        int a = 1;  
        for ( int i = 0; i < 100; i++ ){  
            a = a * 2;  
            System.out.println( "a = " + a );  
        }  
    }  
}
```

```
public class JavaLimits {  
  
    public static void main(String[] args) {  
        // -----  
        // a multiplication of ints  
        int x = 0x30000001;  
        int y = 0x30000001;  
  
        System.out.println( "x = " + x );  
        System.out.println( "y = " + y );  
  
        int z = x * y;  
  
        System.out.println( "z = " + z );  
        System.out.println();  
    }  
}
```

```
x = 805306369  
y = 805306369  
z = 1610612737
```

How big is a 32-bit  
**int**?

# Ranges (Unsigned Integers)

8 bits	0 - 255
16 bits	0 - 65,535
32 bits	0 - 4,294,967,295

# div

```
div    reg8
div    reg16
div    reg32
div    mem8
div    mem16
div    mem32
```

## div operand

R : Q

edx:eax  $\leftarrow$  edx:eax / operand<sub>32</sub>

dx:ax  $\leftarrow$  dx:ax / operand<sub>16</sub>

ah:al  $\leftarrow$  ax / operand<sub>8</sub>

```
alpha db    3
beta  dw    4
x     dd    6
;compute beta/alpha
      mov   ax, word[beta]
      div  byte[alpha]
;quotient in al
;remainder in ah
```

# Exercise

Compute  $x = 2 * \text{alpha} + 3 * \text{beta} + x - 1$

alpha	db	3
beta	dw	4
x	dd	6



# End of Video Lecture (Monday 10/2/17)



# Elements of Style

## Past-Due Homework 2

```

;;; hw2.asm
;;; Ha Cao
;;; The program takes inputs of a, b, c and computes
;;;     ans = 3*(a+b-c)+2(c-1)
;;;
;;; Assemble and run the program as follows:
;;; nasm -f elf hw2.asm
;;; nasm -f elf 231Lib.asm
;;; ld -melf_i386 -o hw2 hw2.o 231Lib.o

```

```

extern _printDec
extern _printInt
extern _printString
extern _println
extern _getInput

section .data
prompt      db      "> "
promptLen   equ     $-prompt
ansStr      db      "ans = "
ansStrLen   equ     $-ansStr

a           dd      0
b           dd      0
c           dd      0
ans         dd      0

section .text
global _start

_start:
;; display prompt
mov     ecx, prompt
mov     edx, promptLen
call    _printString

;; get a
call    _getInput
mov     dword[a], eax

;; display prompt
mov     ecx, prompt
mov     edx, promptLen
call    _printString

;; get b
call    _getInput
mov     dword[b], eax

;; display prompt
mov     ecx, prompt
mov     edx, promptLen
call    _printString

```

```

;; get c
call    _getInput
mov     dword[c], eax

;; -----
;; computation: ans = 3*(a+b-c) + 2*(c-1)
;; -----

; your code will go here...
mov     eax, 0           ; clear value left in
                        ; registers

mov     ebx, 0
mov     ecx, 0
mov     edx, 0

add     eax, dword[a] ; add a and b into eax
add     eax, dword[b]
sub     eax, dword[c] ; subtract c from eax
add     ecx, eax      ; add eax into ecx 3
                        ; times

add     ecx, eax
add     ecx, ecx

add     ebx, dword[c] ; add c into ebx
sub     ebx, 1        ; subtract 1 from ebx
add     edx, ebx      ; add ebx into edx 2
                        ; times

add     edx, ebx
add     ecx, edx      ; add edx to ecx
mov     dword[ans], ecx ; mov the value in ecx
                        ; into the memory at ans

;; -----
;; display "ans = "
;; -----

mov     ecx, ansStr
mov     edx, ansStrLen
call    _printString

;; -----
;; display ans variable
;; -----

mov     eax, dword[ans]
call    _printInt
call    _println
call    _println

;;; exit

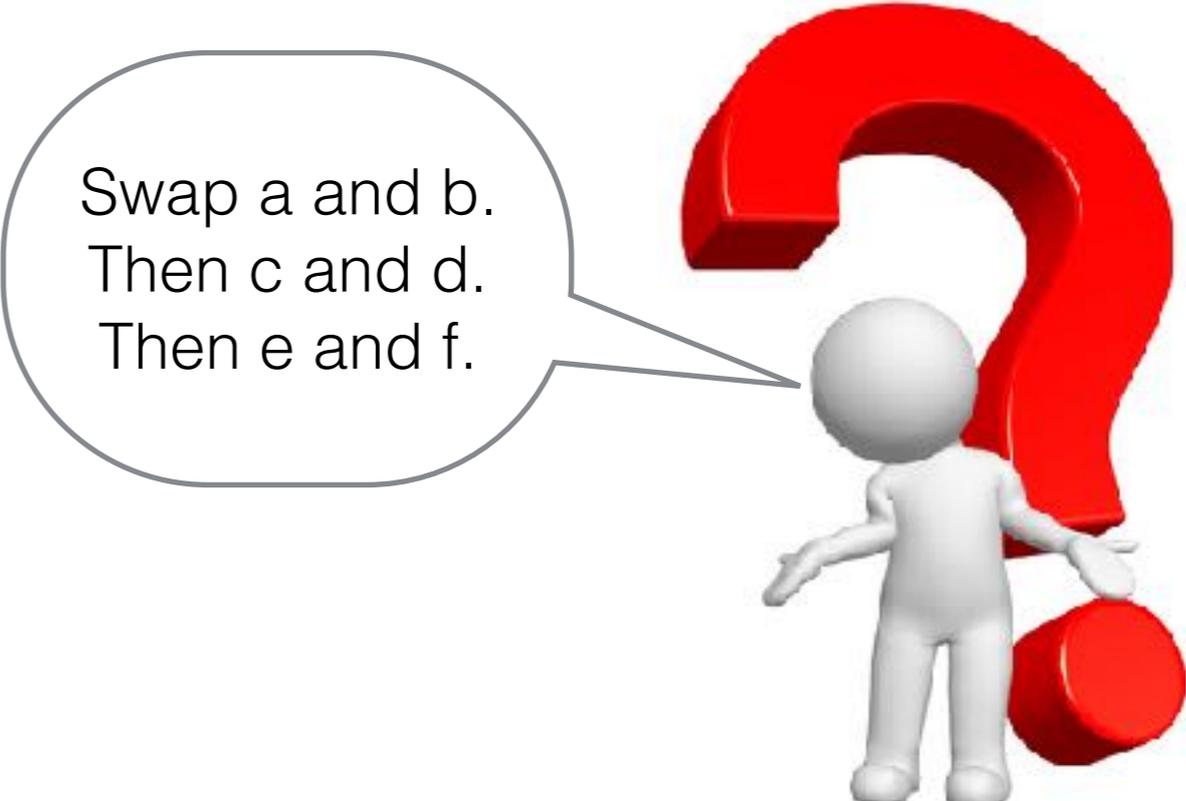
mov     ebx, 0
mov     eax, 1
int     0x80

```

# Exercise

```
a      section .data
      db      10
b      db      0
c      dw     0x1234
d      dw     0
e      dd     0
f      dd     0x12345678

      section .text
```



Swap a and b.  
Then c and d.  
Then e and f.

# Exercise

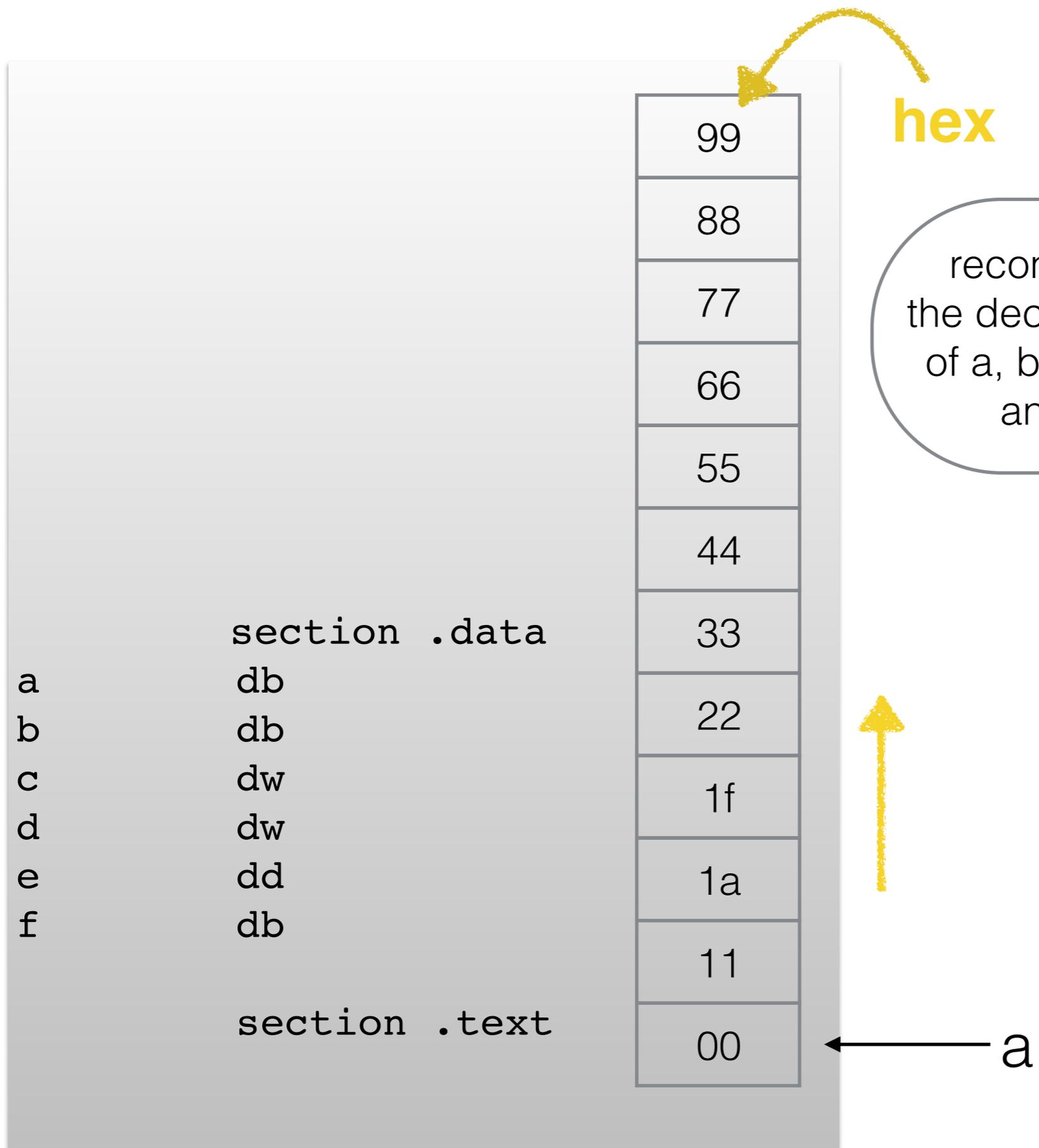
```
a      section .data
      db      10
b      db      0
c      dw     0x1234
d      dw     0
e      dd     0xcdef
f      dd     0x12345678

      section .text
```

Set the least significant byte of **e** and **f** to 00.



# Exercise

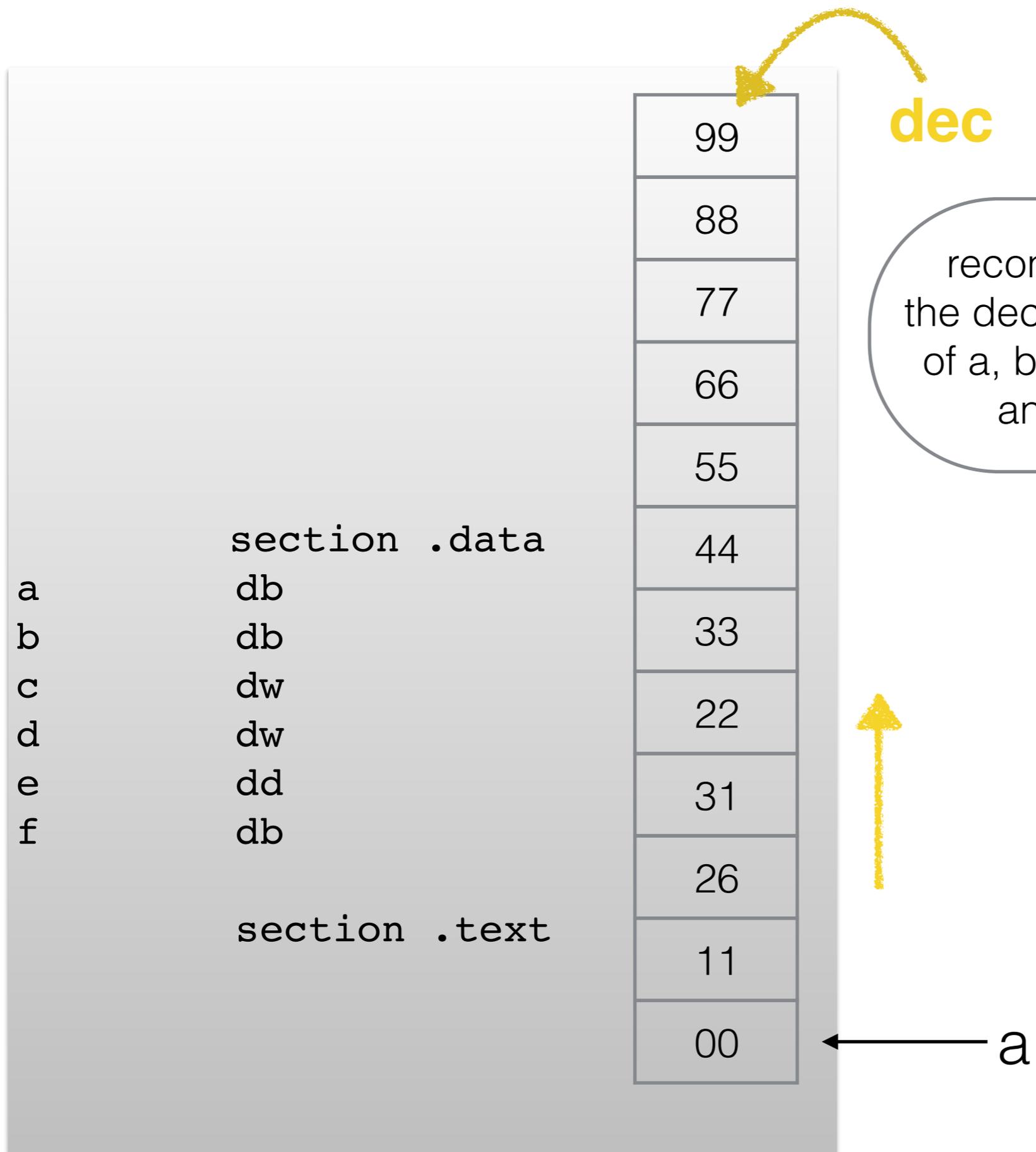


reconstruct the declarations of a, b, c, d, e and f.



*typical midterm question!*

# Exercise



reconstruct the declarations of a, b, c, d, e and f.



*typical midterm question!*

# Simple Rule

## Conversion from byte/word to dword

```
alpha    db    15  
beta     dw    10000
```

```
; put alpha in eax
```

```
; put beta in ebx
```

# Simple Rule

## Conversion from byte/word to dword

Only for  
unsigned  
integers!

```
alpha    db    15  
beta     dw    10000
```

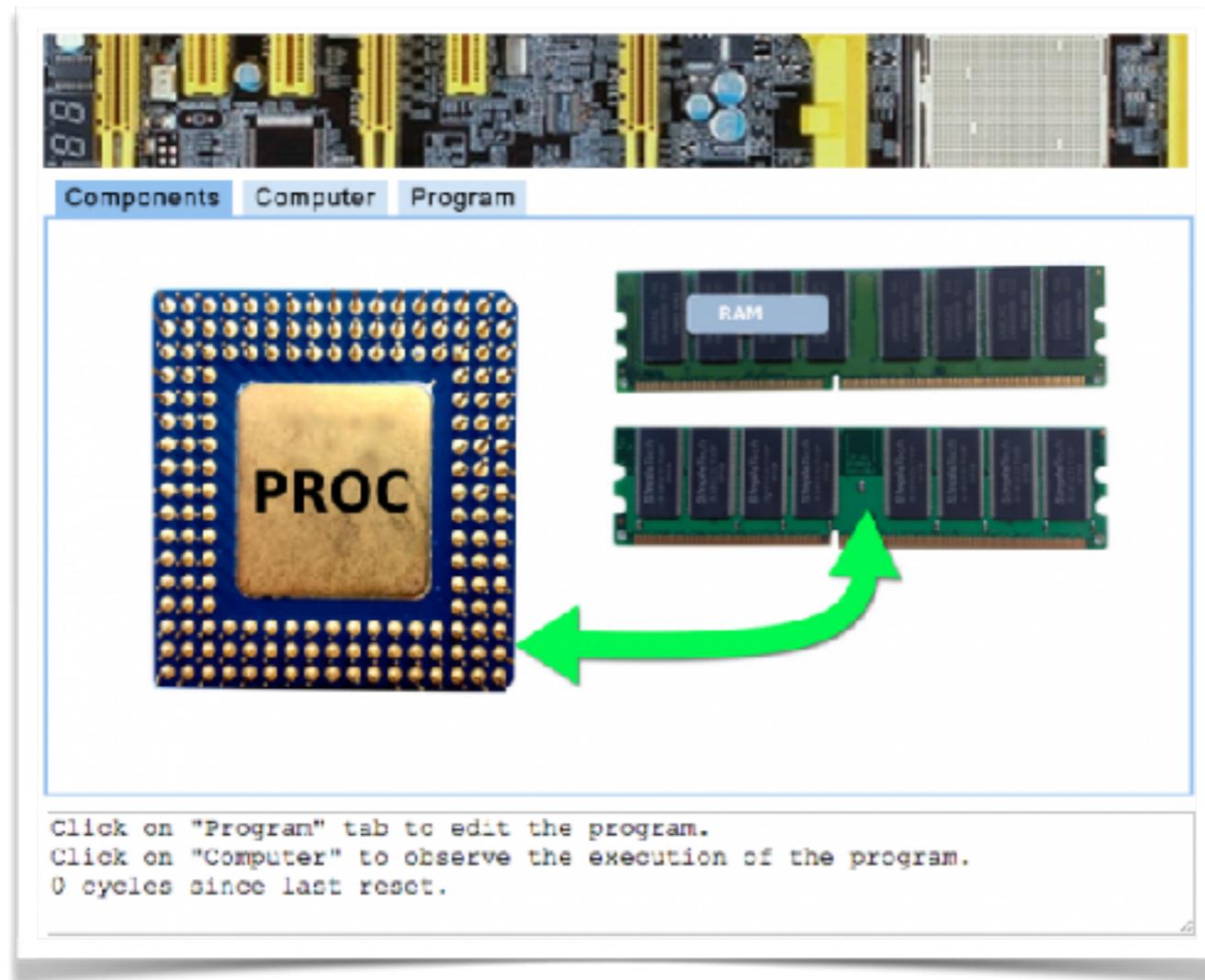
```
; put alpha in eax
```

```
; put beta in ebx
```

# Following the step by step execution of the program

# Computer Simulator

<http://bit.ly/2jTJswl>



```
0000:    LOAD [8]
0002:    ADD 1
0004:    STORE [8]
0006:    JUMP 0
0008:    0
```

<http://www.science.smith.edu/dftwiki/media/simulator/>

# We stopped here last time...

```
amount dd 1234
no20s dd 0
no10s dd 0
no5s dd 0
no1s dd 0
```

```
call _getInput ; eax <- user input
mov dword[amount], eax
```

*; break down amount into 20s, 10s, 5s and 1s*

# Exercise

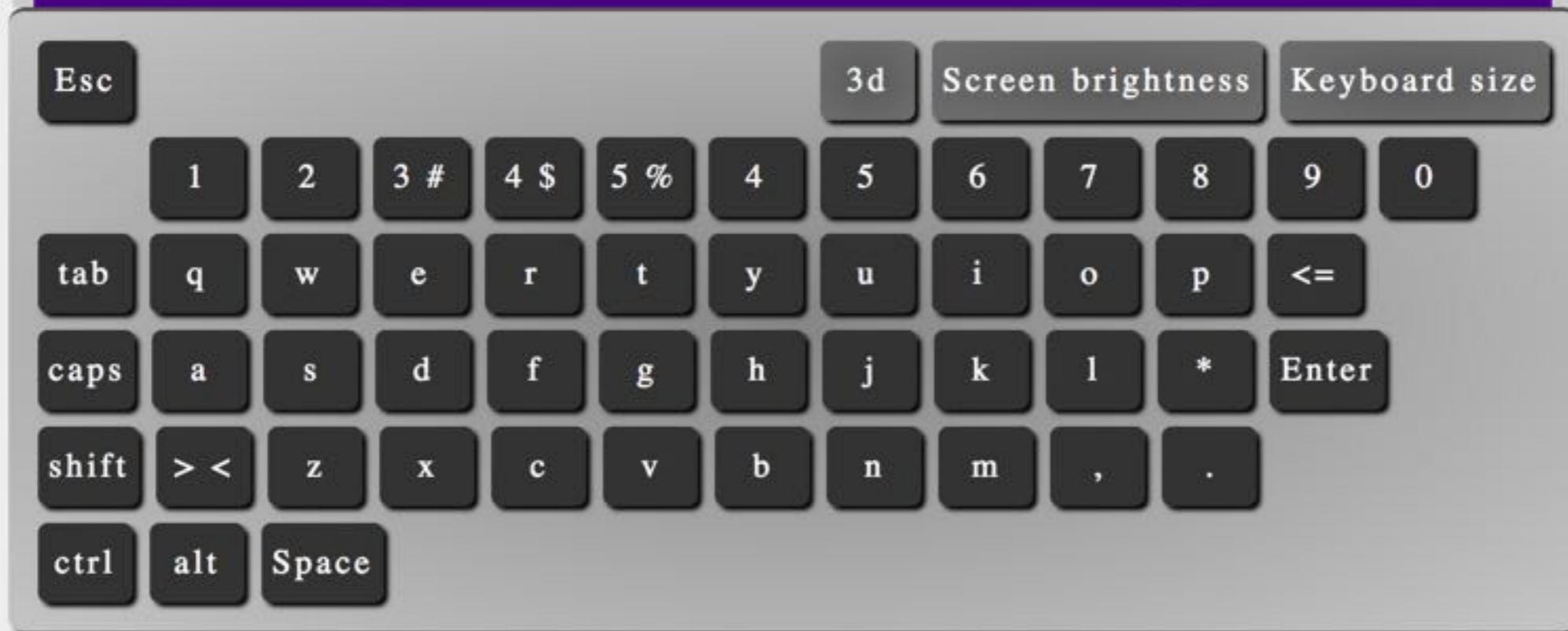


# Vi & Redirection Lab

mode: INSERT

4,26

- 1 Vim has two basic modes. One is **insert** mode, in which you write text as if in normal text editor.
- 2 Another is **normal** mode which provides you efficient ways to navigate and manipulate text.
- 3 At any time, you can see which mode you are in on the status bar which is located at the top of the editor.
- 4 To change between modes, use **Esc**



[http://www.science.smith.edu/dftwiki/index.php/CSC231\\_Bash\\_Tutorial\\_4](http://www.science.smith.edu/dftwiki/index.php/CSC231_Bash_Tutorial_4)